Abstract

This chapter introduces the notion of algorithm and pseudocode, to provide the initial tools for instructing a computer in executing a particular task. Also, it presents a specific kind of graphical pseudocode, i.e. the flowchart. The historic hero introduced in these notes is Ada Lovelace, considered the first computer programmer. Her work in translating and commenting on a scholarly paper describing Babbage's Analytical Engine has been one of the most important milestones of the Computer Science discipline.

Historic hero: Ada Lovelace

Ada Lovelace (shown in Figure 1) was a daughter of the poet Lord Byron. She was an English mathematician who became famous for her work on Babbage's Analytical Engine. Despite her father's habits, her mother, Anne Isabella Milbanke, actively promoted Ada's interest in logic and mathematics, even after the death of her father. One of her mother's goals was to prevent her from incurring in the same insanity that characterised her father's life. However, Byron's creativity manifested unpredictably anyway.

In 1833, she attended a party organised by Charles Babbage to present its Difference Engine. She was so impressed by Babbage's invention that she started a correspondence with him that spanned 27 years [Morais, 2013]. She was the English translator of the first article about the Analytical Engine, that was written in French by Luigi Federico Menabrea, and that she enriched
with several annotations. Among these annotations, there was a description of how to use the Analytical Engine to calculate Bernoulli numbers [Menabrea, 1842]. This description was the first computer program ever written: the first implementation of a mechanical computer algorithm of the whole history. Ada created it without even having the real implemented machine – since the Analytical Engine was just a theoretical machine that was not physically built by Babbage.


However, her vision about the possible uses of the Analytical Engine went even further [Morais, 2013]:
The operating mechanism can even be thrown into action independently of any object to operate upon (although of course no result could then be developed). Again, it might act upon other things besides number, were objects found whose mutual fundamental relations could be expressed by those of the abstract science of operations, and which should be also susceptible of adaptations to the action of the operating notation and mechanism of the engine. Supposing, for instance, that the fundamental relations of pitched sounds in the science of harmony and of musical composition were susceptible of such expression and adaptations, the engine might compose elaborate and scientific pieces of music of any degree of complexity or extent.

That “science of operations” is a reference to a particular field that was named and identified only after several years. In practice, Ada Lovelace was talking about Computer Science one hundred years before its formal introduction. For her work in the field, people have recognised Ada Lovelace as the first computer programmer in history.

Algorithms and programmers

Before introducing the main topic of this chapter, it would be worth to focus on simple examples we usually face in our daily life. Figure 2 illustrates two examples of step-by-step procedures we have to follow to prepare canapé crackers and to assemble a particular lamp, respectively. The actual goal of the two examples is different: the first is a recipe while the other is a set of instructions for assembling a utensil. However, they are described in terms of a shared abstract notion. Indeed, they are instructions for producing something starting from some initial material we have, i.e. an algorithm.

![Recipe and Instructions](https://example.com/image.png)

Figure 2. Two pictures depicting a recipe (left) and the instruction for assembling a lamp (right). Left picture by Phil! Gold, source: https://www.flickr.com/photos/phil_g/17282816/. Right picture by Richard Eriksson, source: https://www.flickr.com/photos/sillygwailo/3183183727/.
The word *algorithm* is a combination of the Latin word *algorismus*\(^1\) and the Greek word *arithmos*, meaning *number*. We can define an algorithm as an abstraction of a step-by-step procedure that takes something as *input* and produces some desired *output* [Wing, 2008]. Each algorithm is written in a specific language. We use such language to communicate the instructions defined by the algorithm to a computer (either human or machine) to obtain something by processing some input material.

Usually, a *computer programmer* is a person who creates algorithms as *(electronic) computer programs* written in a particular computer language. However, in this text, we use the term computer programmer to refer to anyone that creates algorithms that can be interpreted by any computer, be it a human or a machine.

## Flowcharts

There is no standard language that can be used to describe an algorithm in a way that it is immediately understandable by any computer. However, often Computer Scientists rely on *pseudocode* when they want to describe a particular algorithm. *Pseudocode* is an informal language that could be interpreted easily by any computer, even if humans usually use it for communicating the steps of an algorithm to other humans. Often, an algorithm described in pseudocode is not runnable by an electronic computer. However, its constructs are closely tied to the ones that are typically defined, with a formal grammar, in programming languages.

Any algorithm can be expressed in pseudocode. And, in principle, that pseudocode can be translated into different programming languages. Usually, using pseudocode enables one to simplify some passages of the algorithm by describing them in natural language. This simplification is not possible using and proper programming language where one has to specify clearly and formally every passage of the algorithm.

In this chapter, we use a particular graphical alternative to common pseudocode which is suitable for being easily understandable by humans: a flowchart. A *flowchart* is a specific kind of diagram which can be used to write algorithms, and which relies on a small number of widgets, as illustrated in Table 1.

The goal of the algorithms we will develop during the first part of this text must be understood primarily by humans. Thus, a good way for checking if an algorithm one developed can be interpreted correctly by a computer is to ask a colleague to execute it using a particular input. For instance, such execution can be stored by writing down all the passages of the execution on a piece of paper.

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\(^1\) The word *algorismus* is the Latinization of the name *Al-Khwarizmi*, who was a great mathematician from Persia in the 8\(^{th}\) century.
While such flowchart diagrams can be sketched out on a piece of paper, there also exists online tools that allow you to create a flowchart by using an (electronic) computer. The one that has been used to create all the diagrams in this chapter is called Draw.io, which is a free-to-use Web application with a friendly graphical user interface.

<table>
<thead>
<tr>
<th>Widget</th>
<th>Name</th>
<th>Definition</th>
</tr>
</thead>
<tbody>
<tr>
<td><img src="image" alt="Flowline" /></td>
<td>Flowline</td>
<td>The arrow is used to define the order to follow to execute the operations. The flow indicated by the arrows begin in the starting terminal and ends in the ending terminal (see next widget).</td>
</tr>
<tr>
<td><img src="image" alt="Terminal" /></td>
<td>Terminal</td>
<td>It indicates the beginning and end of an algorithm. It contains a text (usually, either “start” or “end”) to disambiguate which role has the particular terminal widget in the context of the algorithm.</td>
</tr>
<tr>
<td><img src="image" alt="Process" /></td>
<td>Process</td>
<td>It expresses (usually one) instruction or operation. Its execution can change the current state of some variables used in the algorithm. The text it includes depicts the instruction to execute.</td>
</tr>
<tr>
<td><img src="image" alt="Decision" /></td>
<td>Decision</td>
<td>It depicts a conditional operation: it checks a condition, and the execution continues in a particular branch of the flowchart depending on the current status of the algorithm's execution. Usually, this operation creates two possible alternative branches: one to be followed whether the condition is valid, and the other in case the condition is not valid.</td>
</tr>
<tr>
<td><img src="image" alt="Input / Output" /></td>
<td>Input / Output</td>
<td>It allows one to specify possible input/output material which is used/returned by the algorithm usually at the beginning or end of its execution.</td>
</tr>
</tbody>
</table>

Table 1. The widgets that can be used in a flowchart, and that are useful for writing an algorithm.

Our first algorithm

The goal of this chapter is to develop our first algorithm. It can be described informally by the following natural language text:

Consider three different strings as input, i.e. two words and a bibliographic entry of a published paper. The algorithm must return: the number 2 if the bibliographic entry contains both words; the number 1 if the bibliographic entry contains only one word; the number 0 otherwise.
A methodology for the development of an algorithm must focus on specific aspects of the description provided. First, it is crucial to identify the input material that such algorithm uses for producing something. In the previous example, the input includes a first word, a second word, and the bibliographic entry, all of them defined as strings, i.e. sequences of characters.

The second important aspect is the output that the algorithm should return starting from the input material mentioned above. In the previous example, the output is a number: 2, 1, or 0 depending on the particular input that will be processed.

It could be helpful to clearly identify such input and output directly on the natural language description of the algorithm to implement. For instance, considering again the description mentioned above, the following excerpt highlights the input in bold blue text, while the output in italic red text:

Consider three different strings as input, i.e. two words and a bibliographic entry of a published paper. The algorithm must return the number 2 if the bibliographic entry contains both words; the number 1 if the bibliographic entry contains only one word; the number 0 otherwise.

In addition to such visual identification of the input and output, it is important to understand which output should be returned by the algorithm according to different input values. The idea is to emulate the execution of an algorithm on specific input by following the informal instruction provided in the natural language description. This operation allows one to understand what it should be the expected result of the algorithm execution before having a concrete implementation of the algorithm (i.e. the flowchart) at hand. For instance:


The idea of having such input-output executions is essential to understand the expected behaviour of an algorithm. Besides, these examples can be used to test the flowchart that formally defines the algorithm. For instance, one can use them to understand if all the various instructions depicted by the widgets in the flowchart return the correct output or not.

Finally, it is worth anticipating here the difference that exists between distinct kinds of objects. As shown above, the algorithm must take, as input, three items of a specific type, i.e. string, while it always returns another item of another kind, i.e. number. Strings and numbers are two distinct data entities. A string is a sequence of characters, and each character can be either a
letter (e.g. “a” and “b”), a digit (e.g. “1” and “9”), a punctuation entity (e.g. “.” and “;”), etc. Instead, a number is the usual mathematical entity – 1, 1983, 2042, etc. To distinguish between strings and numbers in the example above, strings are defined between quotations (e.g. “Shotton”), while numbers are represented as such (e.g. 2). Finally, it is essential to notice that strings and numbers are always different entities, even if they may intuitively appear similar. For instance, the string “1983” is not equal to the number 1983 (they are different things, like an orange and a tangerine) even if they may seem similar at first sight.

Given these premises, the next sections will show how to implement the algorithm described in the natural language text above using a flowchart. Let us start.

An incomplete version

In the flowchart diagram model, each algorithm is defined by using two terminal widgets, that identify the beginning and the end of the algorithm. The start terminal has one arrow starting from it to the next instruction. One can reach the end terminal from different points of the algorithm, and thus it is linked by at least one arrow.

This subsection introduces the first incomplete version of the algorithm. Here the instructions mentioned above are simplified a bit. In particular, we want to say that the algorithm takes as input only two strings: an input word and a bibliographic entry. The algorithm returns the number 1 if the bibliographic entry contains the input word; otherwise, it returns the number 0. Figure 3 shows the flowchart implementing this incomplete version of the algorithm.

![Flowchart Diagram](image)

**Figure 3.** The incomplete algorithm described by a simple flowchart.

In this partial version, we used several flowchart widgets. In particular:
• the start and end terminals introduced above;
• three input/output widgets to get the value specified as the input of the algorithm and to return a 0 or a 1 depending on such input information;
• a decision widget to choose which of the output values to return according to the particular situation.

The final algorithm

While the previous subsection introduced a first initial implementation of an incomplete version of the algorithm, in this section a complete version of the algorithm is provided as a flowchart diagram, shown in Figure 4. However, in order to implement such algorithm with a flowchart, we need to adopt all the widgets introduced in Table 1, by combining a sequence of process widgets with decision widgets so as to implement the whole flow of the algorithm. Of course, the flowchart presented is just one possible way to design the original algorithm. Other approaches can be indeed used and can be correct as well.

We use a process widget for initialising the value to be returned. We specify it after the input widget, and it prescribes to set a particular variable, i.e. the result value, to 0. Such a variable is used to store the result that the algorithm should return, and it will be modified depending on the particular operations executed. The decision widgets check two conditions: whether the bibliographic entry contains the first and the second word, respectively. In case both the conditions are not passed, we return the result value as set initially in the first process widget. Otherwise, every time one of the conditions is valid, the result value is incremented by 1. These passages are responsible for the implementation of the algorithm as requested at the beginning of this section.
Once developed the flowchart, we can check if it works correctly by executing its instruction on particular input data. To this end, we can use the emulated input-output scenarios introduced at the beginning of this section. If the result returned by executing the flowchart with those input values is not equal to the expected output, then it is probable that there is a mistake in the flowchart.

Exercises


2. Write the flowchart of an algorithm that takes in input two objects and returns the string “yes” whether the two objects are the same; otherwise, it returns the string “no”.

3. The previous chapter, entitled “Introduction to Computational Thinking”, illustrates two different algorithms, expressed in natural language, for implementing the Fibonacci function. Create two distinct flowcharts to implement both of them.

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References

